

Lucas-Kanade Reloaded: End-to-End Super-Resolution from Raw Image Bursts

Julien Mairal

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Collaborators

with a picture of me because my webcam is broken



Bruno
Lecouat



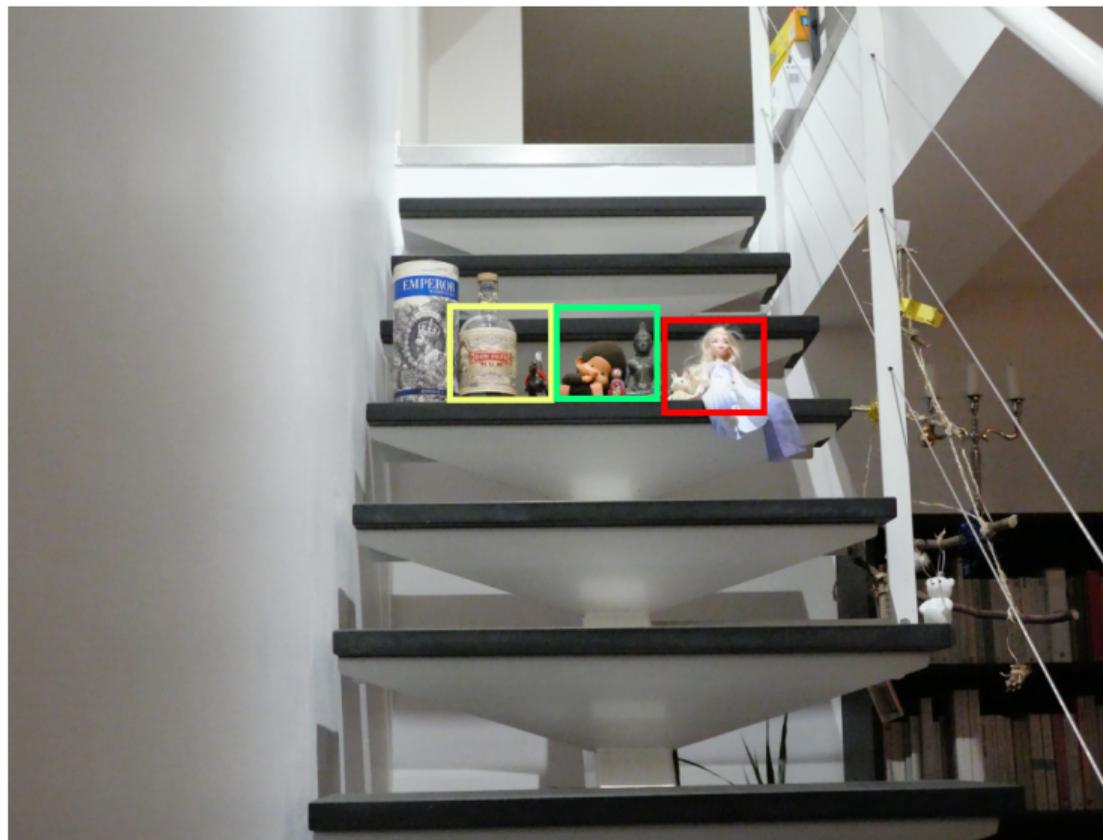
Jean
Ponce



me
(five years ago)

- B. Lecouat, J. Ponce, and J. Mairal. Aliasing is your Ally: End-to-End Super-resolution from Raw Image Bursts. *arXiv:2104.06191*. 2021.

A 20-megapixel innocent scene

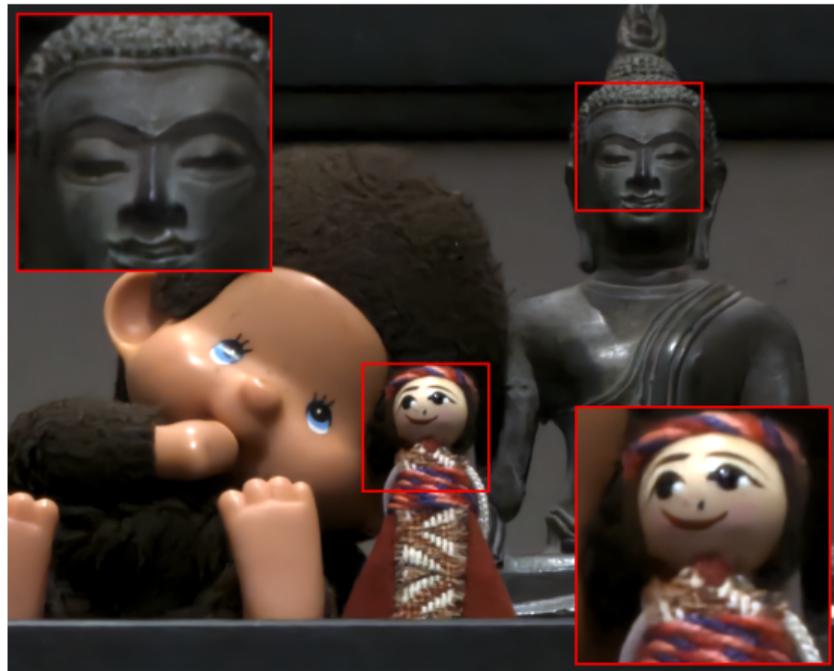


...taken at high ISO with low exposure time



Left: high-quality jpg output of the camera ISP.

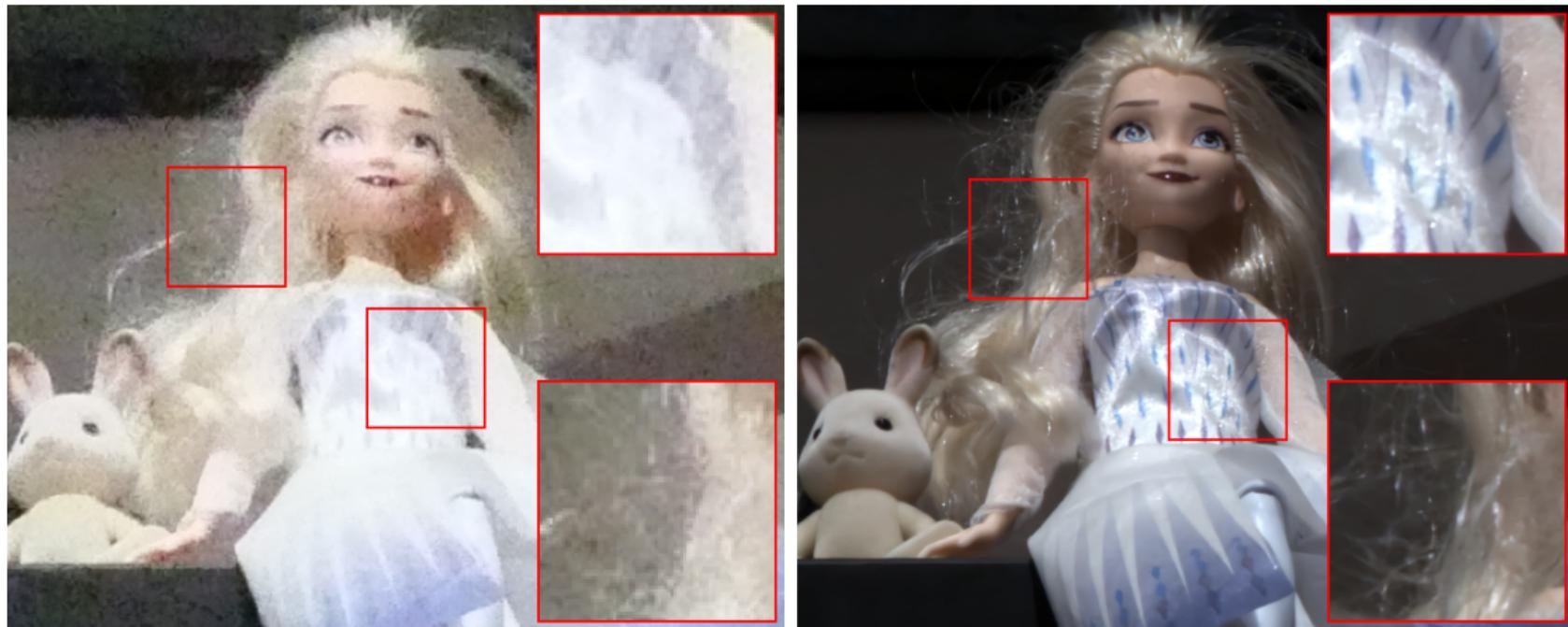
...taken at high ISO with low exposure time



Left: high-quality jpg output of the camera ISP.

Right: $\times 4$ super-resolution, after processing a burst of 30 raw images (handheld camera).

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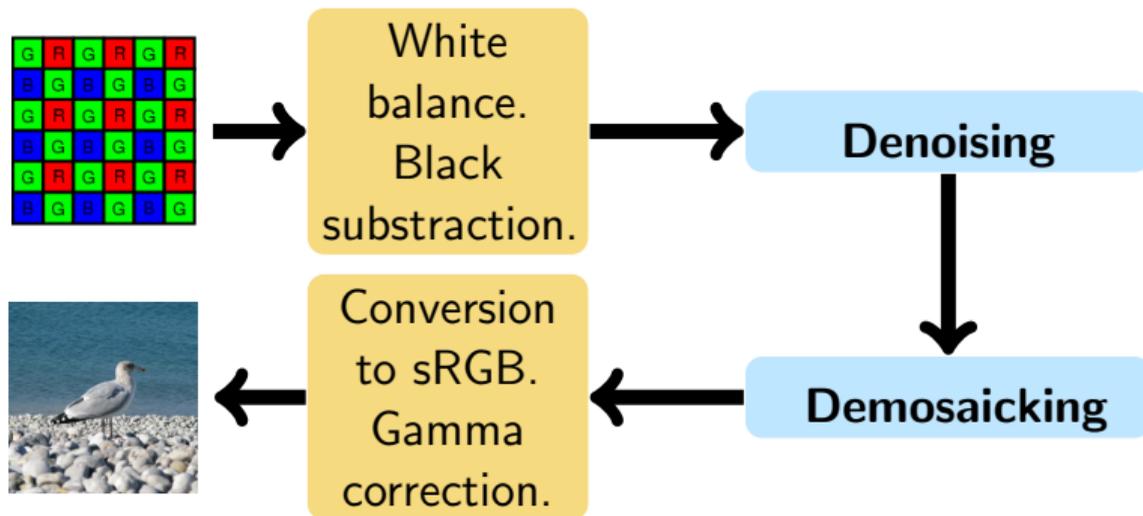


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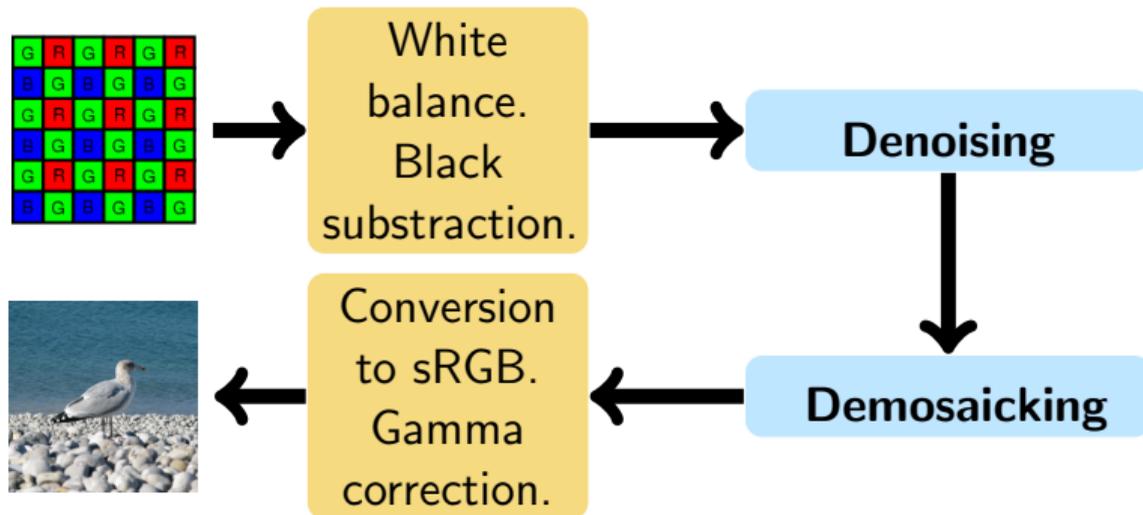
The Camera raw processing pipeline (simplified view)

How does your camera process sensor data?



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Idea: working with raw data is important, before the camera ISP produces irremediable damage!

With raw data, we may leverage aliasing!

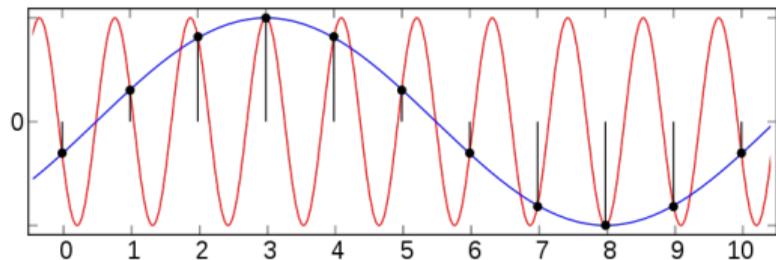


Figure: Example of aliasing: undersampled sinusoid causes confusion with a sinusoid with lower frequency. Picture from Wikipedia.

- Aliasing is usually mitigated with some optical / digital filters.
- If we analyze the aliasing patterns from multiple frames we can **recover high frequencies**.



Super-resolution from raw image bursts (with natural hand motion)

This is hard because it requires, simultaneously,

- accurately **aligning** images with subpixel accuracy.
- dealing with noisy data (**blind denoising**).
- reconstructing color images from the Bayer pattern (**demosaicking**).



Multiframe super resolution: prior work

and, among many others:

- **interpolation-based methods**: [Hardie, 2007], [Takeda et al., 2007];
- **iterative approaches**: [Irani and Peleg, 1991], [Elad and Feuer, 1997],[Farsiu et al., 2004];
- **(deep) learning-based approaches**: [**Bhat et al., 2021**], [Molini et al., 2019], [Deudon et al., 2019];
- and also the literature on video super-resolution (typically not dealing with raw data).

Interesting for us: synthetic raw datasets from Bhat et al. [2021].

The “old” world of classical inverse problems.

Image formation model

$$y_k = DBW_{p_k} x + \varepsilon_k.$$

Inverse problem given y_1, \dots, y_K

$$\min_{x, p_k} \frac{1}{K} \sum_{k=1}^K \|y_k - \underbrace{DBW_{p_k}}_{U_{p_k}} x\|^2 + \lambda \phi_\theta(x).$$

A natural strategy

- define an appropriate prior $\phi_\theta(x)$ for natural images and optimize!

The “old” world of classical inverse problems.

Simple relaxation with “half quadratic splitting” + block coordinate descent

$$\min_{x,z,p_k} \frac{1}{K} \sum_{k=1}^K \|y_k - U_{p_k} z\|^2 + \frac{\mu_t}{2} \|z - x\|^2 + \lambda \phi_\theta(x).$$

- minimizing with respect to p_k (parameters of an affine transformation) is performed by Gauss-Newton steps. This is the algorithm of **Lucas and Kanade [1981]**.
- minimizing with respect to x requires computing the **proximal operator** of ϕ_θ .
- minimizing w.r.t. z can be done by gradient descent steps.
- μ_t increases over the iterations.

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Advantage: robustness and interpretability (solves what it is supposed to solve).

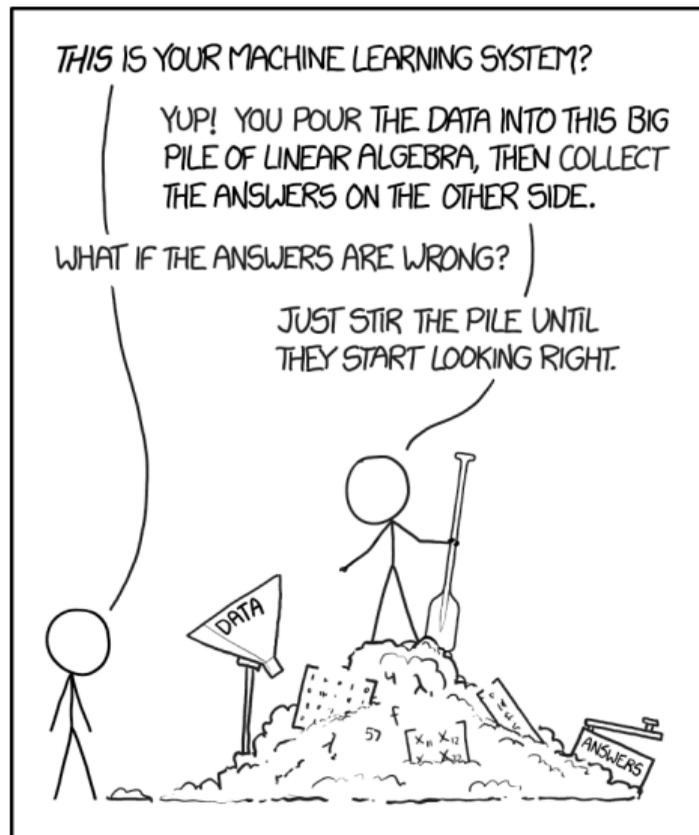
Drawback: designing a good image prior by hand is hard

The “new” world of deep learning models (Pic. <https://xkcd.com/>)

- a form of prior knowledge is encoded in the model architecture (e.g., a convolutional neural network for images).
- ability to train model parameters θ end to end.
- state-of-the-art for many tasks (once the right model/setup is found).
- requires training data.

Advantage: task-adaptive.

Drawback: tuned to specific data distribution.



Bridging the two worlds with trainable algorithms.

Idea 1: plug-and-play priors [Venkatakrisnan et al., 2013]

Replace proximal operator

$$\arg \min_x \frac{1}{2} \|z - x\|^2 + \lambda \phi_\theta(x),$$

by a convolutional neural network $f_\theta(z)$.

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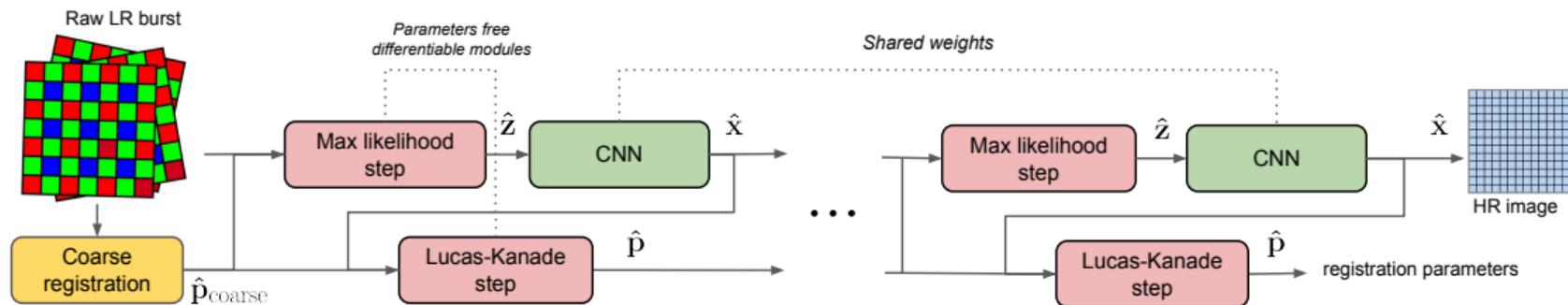
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Idea 2: unrolled optimization [Gregor and LeCun, 2010]

- Consider the previous optimization procedure with T steps, producing an estimate $\hat{x}_T(Y)$, given a burst $Y = y_1, \dots, y_K$.
- Given a dataset of training pairs $(x_i, Y_i)_{i=1, \dots, n}$, minimize

$$\min_{\theta} \frac{1}{n} \sum_{i=1}^n \|\hat{x}_T(Y_i) - x_i\|_1.$$

Schematic view of our method.



- we keep the interpretability of the classical inverse problem formulation.
- we benefit from a data-driven image prior.

Extreme $\times 16$ super-resolution.

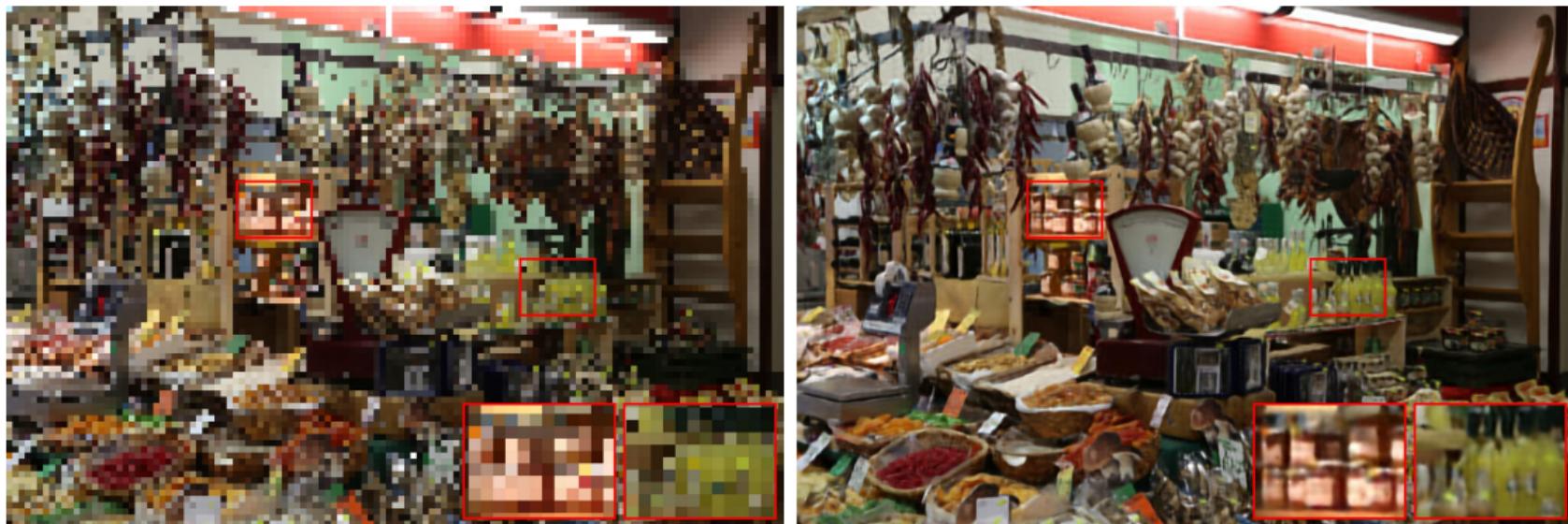


Figure: Experiment with a synthetic RGB burst of 20 images with random affine motions.

Experiments on real raw data - Pixel 4a.

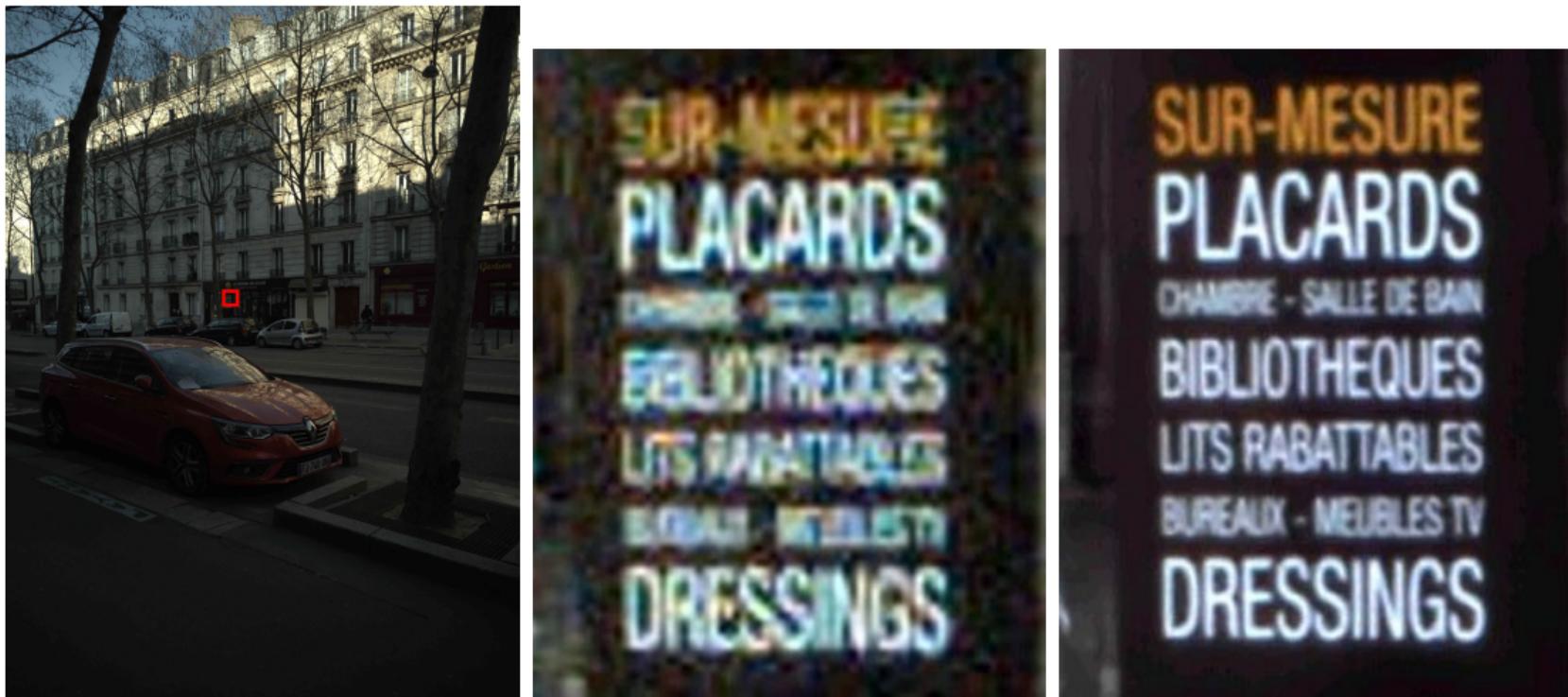


Figure: Full scene - camera ISP - Our $\times 4$ results.

Experiments on real raw data - Pixel 4a.



Figure: Full scene - camera ISP - Our $\times 4$ results.

Current issues with moving objects



Figure: Misalignments artefacts due to moving objects in the scene. Our current implementation does not handle fast moving objects and then generates visual artefacts.

Conclusion

Take-home messages

- 40-years old computer vision algorithms are useful.
- aliasing is good.
- “classical” approaches are robust and interpretable and greatly benefit from deep learning principles (differentiable programming).

Future work

- microscopy and astronomical imaging where we want to recover “true” signals.
- high-quality and high-dynamic range panoramas.
- going beyond static scenes.

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