Graphical Models, Inference and Learning Lecture 8

Modern Learning / Convolutional Neural Networks

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Examples of using deep learning for image analysis

Dense labeling with CNNs in remote sensing

Pioneering works:

1. Predict an entire patch centered in input patch (Mnih, 2013)



• Allows to learn "in-patch location" priors \rightarrow Patch border artifacts



- 2. Predict the central pixel in the patch and shift one by one (e.g., Paisitkriangkrai et al., CVPR Earthvision 2015)
 - Too many redundant computations

Dense labeling with CNNs in remote sensing

Fully convolutional networks (FCNs) [Long et al., CVPR 2015]

- Interpolation with a learned kernel ("deconvolutional" layer)
- Lost resolution is upsampled

Proposed FCN for remote sensing



- Adapted from previous work (Mnih, 2013) and made it fully conv.
- 10x faster and more accurate

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E. Maggiori, Y. Tarabalka, G. Charpiat, P. Alliez. "Convolutional neural networks for large-scale remote sensing image classification", IEEE TGRS, 55 (2), 2017.

Classification with FCNs: some results

Massachusetts dataset

[Dataset: Mnih, 2013]



Color input

Reference

FCN

Pixelwise SVM

 Classification of 22.5 km² (1 m resolution): 8.5 seconds (2.7 GHz 8-core, Quadro K3100M GPU)

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E. Maggiori, Y. Tarabalka, G. Charpiat, P. Alliez. "Convolutional neural networks for large-scale remote sensing image classification", IEEE TGRS, 55 (2), 2017.

Yielding high-resolution outputs

Recognition/localization (RL) trade-off

Subsampling:

- increases the receptive field (improving recognition)
- reduces resolution (hampering localization)



First architectures for high-resolution labeling

- Dilation (Chen et al., 2015; Dubrovina et al., 2016,...)
- Unpooling/deconv. (Noh et al., 2015; Volpi and Tuia, 2016,...)
- Skip networks (Long et al., 2015; Badrinarayanan et al., 2015,...)

Dilation networks

- Based on the shift-and-stitch approach:
 - Conduct predictions at different offsets to produce low-resolution outputs
 - Interleave these outputs to compose the final high-resolution result
- Such an interleaving can be implemented as convolutions on non-contiguous locations



- \Rightarrow Larger context without introducing more parameters
 - Not robust to spatial deformation (e.g., detect road located *exactly* 5px away)

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Unpooling/deconvolution networks

• The CNN is "mirrored" to learn the deconvolution:



• Max (left) and average (right) unpooling



Skip networks

- 1. Extract intermediate features
- 2. Classify
- 3. Upsample/add (pairwise)



- Addresses trade-off
- Inflexible/arbitrary at combining resolutions

Yielding high-resolution outputs

Premise

- CNNs do not need to "see" everywhere at the same resolution
- E.g., to classify central pixel:





Full resolution context

Full resolution only near center

 \Rightarrow Combine resolutions in a flexible way to address trade-off

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To address RL trade-off: MLP network



Learn to combine features

1. Base FCN

- 2. Extract intermediate features \Rightarrow Pool of features
- 3. Multi-layer perceptron (1 hidden layer) learns how to combine those features
 - $\Rightarrow \text{ Pixel by pixel (series of } 1 \times 1 \\ \text{ convolutional layers)}$
 - \Rightarrow 128 hidden neurons, nonlinear activation
 - \Rightarrow Output classification map

E. Maggiori, Y. Tarabalka, G. Charpiat, P. Alliez. "High-Resolution Aerial Image Labeling with Convolutional Neural Networks", IEEE TGRS, 55 (12), 2017.

Vaihingen & Postdam ISPRS datasets:



Vaihingen	Imp. surf.	Build.	Low veg.	Tree	Car	Acc.
CNN+RF	88.58	94.23	76.58	86.29	67.58	86.52
CNN+RF+CRF	89.10	94.30	77.36	86.25	71.91	86.89
Deconvolution						87.83
Dilation	90.19	94.49	77.69	87.24	76.77	87.70
Dilation + CRF	90.41	94.73	78.25	87.25	75.57	87.90
MLP	91.69	95.24	79.44	88.12	78.42	88.92

Impervious surface (white), Building (blue), Low veget. (cyan), Tree (green), Car (yellow)

Submission to ISPRS server

- Overall accuracy: 89.5%
- Second place (out of 29) at the time of submission
- Significantly simpler and faster than other methods

Inria Aerial Image Labeling Dataset (810 km², 30 cm resolution, 3 bands):



• Images over US and Austria with open images and building footprints

• Different cities in training and test sets

\Rightarrow project.inria.fr/aerialimagelabeling

E. Maggiori, Y. Tarabalka, G. Charpiat, P. Alliez. "Can Semantic Labeling Methods Generalize to Any City? The Inria Aerial Image Labeling Benchmark". IGARSS 2017.

Inria Aerial Image Labeling Benchmark

• Dec. 2016 - present: > 2000 downloads, > 50 submissions

Leaderboard

Method	Date	Bellin	gham	Bloom	ington	Innst	oruck	San Fra	ancisco	East	Tyrol	Ove	rall
		loU	Acc.	IoU	Acc.	IoU	Acc.	IoU	Acc.	loU	Acc.	IoU	Acc.
Inria1 🟸 🔍	3-Jan-17	52.91	95.14	46.08	94.95	58.12	95.16	57.84	86.05	59.03	96.40	55.82	93.54
Inria2 🟸 🔍	3-Jan-17	56.11	95.37	50.40	95.27	61.03	95.37	61.38	87.00	62.51	96.61	59.31	93.93
TeraDeep 🖊 🔍	5-May-17	58.08	95.88	53.38	95.61	59.47	95.26	64.34	88.71	62.00	96.57	60.95	94.41
RMIT 🖍 🔍	16-July-17	57.30	95.97	51.78	95.60	60.70	95.69	66.71	89.23	59.73	96.59	61.73	94.62
Raisa Energy 🟸 🔍	8-Sep-17	64.46	96.04	56.63	95.38	66.99	95.97	67.74	87.48	69.21	96.92	65.94	94.36
DukeAMLL 🖍 🔍	6-Nov-17	66.90	96.69	58.48	96.15	69.92	96.37	75.54	91.87	72.34	97.42	70.91	95.70
NUS 🖍 🔍	13-Nov-17	65.36	96.34	58.50	95.95	68.45	96.21	71.17	90.08	71.58	97.32	68.36	95.18
Onera 1 🖍 🔍	14-Nov-17	63.42	96.11	62.74	96.20	63.77	95.44	66.53	89.18	65.90	96.76	65.04	94.74
Onera 2 🖍 🔍	14-Nov-17	68.92	96.94	68.12	97.00	71.87	96.72	71.17	89.74	74.75	97.78	71.02	95.63
NUS 🖍 🔍	22-Nov-17	70.74	97.00	66.06	96.74	73.17	96.75	73.57	91.19	76.06	97.81	72.45	95.90
DukeAMLL 🖍 🔍	29-Nov-17	67.14	96.64	65.43	96.73	72.27	96.66	75.72	91.80	74.67	97.70	72.55	95.91
Raisa Energy 🟸 🔍	30-Nov-17	68.73	96.79	60.83	96.23	70.07	96.31	70.64	89.52	74.76	97.64	69.57	95.30
NUS 🖍 🔍	11-Dec-17	66.93	96.54	61.42	96.34	71.06	96.47	74.34	91.47	73.21	97.51	70.99	95.67
NUS 🖍 🔍	15-Dec-17	70.73	97.06	64.87	96.69	73.64	96.86	73.04	91.19	76.36	97.88	72.18	95.94
DukeAMLL 🖍 🔍	15-Dec-17	68.75	96.89	59.17	96.27	71.82	96.66	69.28	89.90	75.83	97.85	69.15	95.51
Koki Takahashi ⁄ 🔍	22-Dec-17	69.71	96.89	67.10	96.49	78.41	97.47	79.79	93.29	80.15	98.26	76.42	96.48
Tao Hu 🖍 🔍	2lan-18	65.92	96.78	62.05	96.54	72.37	96.91	69.78	90.35	70.21	97.46	68.72	95.61

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Inria Aerial Image Labeling Dataset: first outcomes

- Intersection over union improved from 55.82% to 78.39%
- The most commonly used successful architecture: U-Net
 - AMLL, Duke University: original U-Net with half as many filters



B Huang et al. "Large-scale semantic classification: Outcome of the first year of Inria aerial image labeling benchmark". IGARSS 2018.

Inria Aerial Image Labeling Dataset: first outcomes

- Intersection over union improved from 55.82% to 78.39%
- The most commonly used successful architecture: U-Net
 - Vladimir Iglovikov: TernausNet with VGG11-like encoder



Inria Aerial Image Labeling Dataset: first outcomes

- Intersection over union (IoU) improved from 55.82% to 78.39%
- Winning architecture:



Inria Aerial Image Labeling Dataset outcomes (IoU, %)



B Huang et al. "Large-scale semantic classification: Outcome of the first year of Inria aerial image labeling benchmark". IGARSS 2018.

How to achieve good results?

- Right choice of architecture: U-net for semantic labeling
- Right choice of loss function: combination of cross-entropy & IoU
- Right choice of training strategy
- Right choice of other parameters: learning rate, size of batch, ...

Common loss functions

Loss function quantifies the misclassification by comparing the target label vectors $\mathbf{y}^{(i)}$ and the predicted label scores $\hat{\mathbf{y}}^{(i)}$, for *n* training samples

• Cross-entropy loss:

$$L_{CE} = -\frac{1}{n} \sum_{i=1}^{n} \sum_{k=1}^{|\mathcal{L}|} y_k^{(i)} \log \hat{y}_k^{(i)}$$

- has fast convergence rates when training neural networks
- numerically stable when coupled with softmax normalization
- Differentiable soft IoU loss*:

$$L_{IoU} = \frac{1}{|\mathcal{L}|} \sum_{\mathcal{L}} \frac{\sum_{i} \hat{y}_{k}^{(i)} \cdot y_{k}^{(i)}}{\sum_{i} \hat{y}_{k}^{(i)} + y_{k}^{(i)} - \hat{y}_{k}^{(i)} \cdot y_{k}^{(i)}}$$

• enforces network to push predictions to 0 and 1

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Mattyus et al. "Deeproadmapper: Etracting road topology from aerial images". ICCV 2017.

How to achieve good results?

- Right choice of architecture: U-net for semantic labeling
- Right choice of loss function: combination of cross-entropy & IoU
- Right choice of training strategy
- Right choice of other parameters: learning rate (e.g. cyclic), size of batch, ...

How to achieve good results?

- Right choice of architecture: U-net for semantic labeling
- Right choice of loss function: combination of cross-entropy & IoU
- Right choice of training strategy
- Right choice of other parameters: learning rate (e.g. cyclic), size of batch, ...
- Good training dataset!

Where to get data?

- A lot of available aerial and satellite imagery!
 - Example: Sentinel https://sentinel.esa.int/web/sentinel/home
 - Difficult and expensive to get ground-truth data
- Solutions?
 - Use available datasets/benchmarks
 - IARPA challenge: 3.5TB satellite multispectral data, 62 classes
 - CrowsAl challenge: > 300K 300 × 300 RGB satellite images & building annotations https://www.crowdai.org/challenges/mapping-challenge
 - Use crowd-sourced maps
 - http://www.openstreetmap.org
 - https://www.eea.europa.eu/data-and-maps/data/ copernicus-land-monitoring-service-urban-atlas

Where to get data?

- Solutions?
 - Use maps predicted with deep learning nets and released as open data?



Bing has made very significant investments in the area of deep learning, computer vision and artificial intelligence to support a number of different search scenarios. The Bing Maps team has been applying these techniques as well with the goal to increase the coverage of building footprints available for OpenStreetMap. As a result, today we are announcing that we are releasing 124 Million building footprints in the United States to the OperStreetMap community.

The Maps team has been relying on the Open Source CNTK Unified Toolkit which was developed by Microsoft. Using CNTK we apply our Deep Neural Networks and the ResNet34 with RefineNet up-sampling layers to detect building footprints from the Bing imagery.

First stage - Semantic Segmentation





We remove noise and suspicious data (false positives) from the predictions and then apply a polygonization algorithm to detect building edges and angles to create a proper building footprint.

Second stage - Polygonization





Lecture 8

Dealing with imperfect training data

And if training dataset is not good enough?

Dealing with imperfect training data

- Frequent misregistration/omission in large-scale data sources
 - Example: OpenStreetMap data are mostly misaligned with satellite data





Dealing with imperfect training data



Pléiades image + OpenStreetMap (OSM)

Proposed method

Two-step training process:

- 1. Pretrain on large amounts of imperfect data
 - \rightarrow Learn dataset generalities
- 2. Fine-tune on a small piece of manually labeled reference



E. Maggiori, Y. Tarabalka, G. Charpiat, P. Alliez. "Convolutional Neural Networks for Large-Scale Remote-Sensing Image Classification", TGRS 2017.

Enhancing CNNs' outputs



Recent approaches

- CNN + Fully connected CRF (Chen et al., ICML 2015)
- CNN + Fully connected CRF as RNN (Zheng et al., CVPR 2015)
- CNN + Domain transform (Chen et al., CVPR 2016)

In remote sensing:

- CNN + CRF (Paisitkriangkrai et al., CVPR Worshops 2015)
- CNN + fully connected CRF (Marmanis et al., ISPRS 2015; Sherrah 2016,...)

Goal

Learn iterative enhancement process

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Partial differential equations (PDEs)

Given heat maps u_k , image *I*:

- Heat flow (Smooths out uk)
- Perona-Malik
 Edge-stopping function g(∇I, x)

$$\frac{\partial u_k(x)}{\partial t} = \operatorname{div}(\nabla u_k(x))$$

$$\frac{\partial u_k(x)}{\partial t} = \operatorname{div}(g(\nabla I, x)\nabla u_k(x))$$

$$\frac{\partial u_k(x)}{\partial t} = \operatorname{div}(D(\nabla I, x)\nabla u_k(x))$$

$$\frac{\partial u_k(x)}{\partial t} = |\nabla u_k(x)| \operatorname{div}\left(g(\nabla I, x) \frac{\nabla u_k(x)}{|\nabla u_k(x)|}\right)$$

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• ...

- Differential operations $\left(\frac{\partial}{\partial x}, \frac{\partial}{\partial y}, \frac{\partial^2}{\partial x \partial y}, \frac{\partial^2}{\partial x^2}, \ldots\right)$ applied on u_k and image I
- Implemented as convolutions: $M_i * u_k$, $N_j * I$ { $M_1, M_2, ...$ }, { $N_1, N_2, ...$ } conv. kernels (e.g., Sobel filters)



•
$$\Phi(u_k, I) = \{M_i * u_k, N_j * I; \forall i, j\}$$
, set of responses



- Overall update on u_k at x: $\delta u_k(x) = f_k(\Phi(u_k, I)(x))$
- Class-specific f_k , implemented as multilayer perceptron
- M_i and N_j convey spatial reasoning (e.g., gradients), f_k their combination (e.g., products)



• Discretized in time:

 $u_{k,t+1}(x) = u_{k,t}(x) + \delta u_{k,t}(x)$, overall update δ



Iterative processes as recurrent neural networks (RNNs)

- "Unroll" iterations
- Every iteration is meant to progressively refine the classification maps
- Enforce weight sharing along iterations
- Train by backpropagation ("through time")



- FCN trained on Pléiades + OSM data
- Manually labeled tiles for RNN training/testing
- Unroll 5 iterations
- 32 M_i and 32 N_j
- MLP: 1 hidden layer, 32 neurons



Building, Road, Background

E. Maggiori, G. Charpiat, Y. Tarabalka, P. Alliez. "Recurrent Neural Networks to Correct Satellite Image Classification Maps". TGRS 2017.



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Comparison

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Color image	Coarse CNN	CNN+CRF	Class-agnostic CNN+RNN	CNN+RNN	Reference

	Overall	Mean	Clas	ss-specifi	c loU
Method	accuracy	loU	Build.	Road	Backg.
CNN	96.72	48.32	38.92	9.34	96.69
CNN+CRF	96.96	44.15	29.05	6.62	96.78
Class-agn. CNN+RNN	97.78	65.30	59.12	39.03	97.74
CNN+RNN	98.24	72.90	69.16	51.32	98.20

• Could we train a neural net to solve image-map alignment problem?





A. Zampieri, G. Charpiat, N. Girard, Y. Tarabalka. "Multimodal image alignment through a multiscale chain of neural networks with application to remote sensing", ECCV 2018.

• Fully-convolutional neural net for image-map alignment



- Image is fed to 1a, rasterized map is fed to 1b
- Output: 2-dimensional vector map representing a deformation field



• Loss function: Euclidean norm of the prediction error

$$C = \mathop{\mathbb{E}}_{(l_1, l_2, \phi_{\mathsf{GT}}) \in \mathcal{D}} \left[\sum_{\mathbf{x} \in \Omega(l_2)} \left\| \widehat{\phi}_{(l_1, l_2)}(\mathbf{x}) - \phi_{\mathsf{GT}}(\mathbf{x}) \right\|_2^2 \right],$$

i.e., expectation, over the ground truth dataset \mathcal{D} of triplet examples (RGB image l_1 , cadastral image l_2 , associated deformation ϕ_{GT}), of the sum, over all pixels **x** in the image domain $\Omega(l_2)$, of the norm of the difference between the ground truth deformation $\phi_{\text{GT}}(\mathbf{x})$ and the one predicted $\hat{\phi}_{(l_1, l_2)}(\mathbf{x})$ for (l_1, l_2)

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Lecture 8

• Chain of scale-specific neural nets for image-map alignment





- Main idea: each scale-specific block:
 - downsamples the images to the right size,
 - applies the previously-estimated deformation,
 - refines it

Lecture 8

• Chain of scale-specific neural networks to solve alignment problem



Misalignment distribution before and after processing

A. Zampieri, G. Charpiat, N. Girard, Y. Tarabalka. "Multimodal image alignment through a multiscale chain of neural networks with application to remote sensing", ECCV 2018.

Align and update maps in one net?



- Multi-resolution snd multi-task deep learning
- Modified U-Net to have 2 image inputs and 2 image outputs
- Output: aligned and updated cadaster map

N. Girard et al., "Aligning and updating cadaster maps with aerial images by multi-resolution, multi-task deep learning", ACCV 2018.

Application: 2.5D reconstruction of buildings

- From a stereo pair of images
- Height estimation by alignment of polygons of one view to the image of the other view, and vice versa



How to update GIS with the created maps?





Polygonization of classification maps
 → incorporate objects into GIS



From raster to polygons

- \bullet Polygonization of classification maps \rightarrow incorporate objects into GIS
- Typically (QGIS, GRASS, ArcGIS,...): greedy simplification algorithms

Using mesh approximation

- Goal: approximate objects with (labeled) triangular mesh
- Integral formulation



 \rightarrow Opt.

Fine lattice



Optimization algorithm

- Discrete mesh operators (edge flip/collapse)
- Continuous vertex relocation
- Topology preservation & geometric regularity



O. Tasar et al., "Polygonization of binary classification maps using mesh approximation with right angle regularity," IGARSS'18

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Can we learn in a vector space?



Analyzing this new paradigm

Several tasks:

- Object detection
- Object recognition
- Object polygon outline regression

Difficulties:

- Thousands of objects per satellite image
- Variable amount of objects across images
- Variable amount of vertices across polygons
- Overlapping objects

Problem statement

Reduced goal:

- Task: object polygon outline regression
- Input: image patch centered on a detected object of one class
 - Output of an object detector like Faster-RCNN:
- Output: one polygon outlining the object
 - Number of vertices fixed to 4



S. Ren et al., Faster R-CNN: towards real-time object detection with region proposal networks, 2015.

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Polygon regression neural network PolyCNN



Three blocks:

- 1. Feature extractor
- 2. Encoder
- 3. Decoder

N. Girard & Y. Tarabalka. "End-to-end learning of polygons for remote sensing image classification," IGARSS 2018.

1. Feature extractor



Pre-trained Inception V4 layers used:



C. Szegedy et al., Inception-v4, inception-resnet and the impact of residual connections on learning, 2016.

2. Encoder



Encodes object outline in a vector of 128 dimensions:

- A point in a latent space
- Represents the object shape

3. Decoder



Decodes the 128-dimensions vector into polygon coordinates:

• 4 vertices in 2D = 8 scalars

Finding the right architecture for the encoder and decoder



Creation of an artificial dataset:

- Random 4-sided polygons as ground truth
- Rasterized polygons as image input

Infinite amount of simple examples:

- Fast training, only a simple feature extractor is needed
- Test architectures to find the smallest encoder and decoder that work
- Pre-train decoder

Loss

Network trained by supervised learning, naive loss:



$$L = \frac{1}{n} \sum_{i=1}^{n} \|\mathbf{P}_{gt}(\mathbf{i},.) - \mathbf{P}_{pred}(\mathbf{i},.)\|_{2}$$
(1)

Loss

Network trained by supervised learning, corrected loss:



$$L = \min_{\forall s \in [0,n-1]} \frac{1}{n} \sum_{i=1}^{n} \|\mathbf{P}_{\mathbf{gt}}(\mathbf{i},.) - \mathbf{P}_{\mathbf{pred}}(\mathbf{i} + \mathbf{s},.)\|_2$$
(2)

Dataset



Solar panel dataset from Bradbury et al. from Duke University:

- 601 aerial images of 5000 imes 5000 px
- Ground truth polygons of photovoltaic arrays
- Polygons precisely annotated manually
- Over 19000 solar panels
- Over 6000 4-sided ground truth polygons
- 256 polygons for validation and another 256 for testing

K. Bradbury et al., Distributed solar photovoltaic array location and extent dataset for remote sensing object identification, 2016.

Training

- 1. Feature extractor pre-trained on ImageNet
- 2. Encoder initialized randomly
- 3. Decoder pre-trained on the artificial dataset

Learning rate schedule:

learning rate up to iteration	500	1000	90000
Feature extractor	0	0	$1e^{-5}$
Encoder	$1e^{-5}$	$1e^{-5}$	$1e^{-5}$
Decoder	0	$1e^{-5}$	$1e^{-5}$

- Random weights produce big gradients at the start of training
- Avoid rapid distortion of pre-trained weights by freezing them in the beginning

J. Deng et al., ImageNet: A Large-Scale Hierarchical Image Database, 2009.

Visual results

Test on image patches never seen by the network:



Green: ground truth, orange: PolyCNN output and red: U-Net + Douglas-Peucker output

Quantitative results

	PolyCNN	U-Net + Douglas-Peucker
mloU	79.5%	62.4%

For any threshold τ we compute the fraction of vertices whose ground truth point distance is less than τ :



Conclusions & Perspectives

There is no such thing as a universally better classifier

- To classify images on a world-scale:
 - Learning methods must be generic and highly scalable
 - CNNs have shown a remarkable computational performance
 - Capable to learn expressive multi-scale contextual features
 - Succeed in classifying new unseen earth areas
 - Still significant work to be done to design automatic mapping systems
 - New powerful models: adversarial networks, unsupervised & semi-supervised learning, capsule nets